

# Adaptive Multiplexing Order Selection For Single-carrier MIMO Transmission

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*Abstract*— Spatial multiplexing and diversity are in a tradeoff relationship. Multiple-input multiple-output (MIMO) can increase the maximum throughput in a good propagation environment by selecting high multiplexing order, but the achievable throughput degrades in a poor propagation environment. By adaptively selecting the multiplexing order according to the changing propagation environment, the achievable throughput can always be maximized. In this paper, we consider single-carrier (SC)-MIMO with frequency-domain equalization (FDE) and propose an adaptive multiplexing order selection suitable for the cyclic delay pilot channel estimation (CDP-CE). The throughput performance achievable with the SC-MIMO adaptive multiplexing order selection in a multi-cell environment is evaluated by computer simulation.

*Keywords*— MIMO, STTD, SDM multiplexing order, diversity order, multi-cell environment

## I. INTRODUCTION

The broadband wireless channel is characterized by path loss, shadowing loss, and frequency-selective fading [1]. In a cellular network, the same frequency is reused in spatially separated cells to efficiently utilize the limited frequency bandwidth. Therefore, as the mobile terminal (MT) approaches the cell edge, the received signal power degrades and furthermore, the co-channel interference (CCI) from neighboring cells gets stronger. The received signal-to-interference plus noise power ratio (SINR) drops near the cell edge. On the other hand, users near the cell center can enjoy high SINR. To achieve the best throughput always in a changing SINR environment, the use of multiple transmit and receive antennas known as multiple-input multiple-output (MIMO) [2] is effective.

There is a trade-off relationship between the spatial multiplexing and diversity in MIMO [2, 3]. An extreme case is the full-order diversity for transmitting the single-stream (the spatial multiplexing order  $Z$  is one). The full-order diversity aims at maximizing the received SINR and hence, can improve the SINR of a user at the cell edge. The spatial diversity using orthogonal space-time block code (STBC) achieves the full-order diversity with low computational complexity [4]. Another extreme case is the full-order spatial multiplexing known as space division multiplexing (SDM) [5]. The same number of data streams as the number of transmit antennas can be simultaneously transmitted (of course, at least, the number of receive antennas must be equal or higher than that of transmit antennas). This can be applied for a user near the cell center where high SINR is obtained. For achieving always the best throughput according to the changes in the received SINR, the multiplexing order needs to be adaptively selected.

Simple switching between full spatial diversity and full spatial multiplexing was studied in [6-8]. However, adaptive multiplexing order selection has not been fully studied yet.

How the adaptive multiplexing order selection improves the throughput performance in a cellular network has not been fully investigated.

In this paper, we consider an uplink transmission using single-carrier (SC)-MIMO with frequency-domain equalization (FDE) [9, 10] and propose an adaptive multiplexing order selection. The multiplexing order is determined based on maximum throughput criterion. For the transmission of single data stream, the space-time block coded transmit diversity (STTD) with FDE (FD-STTD) [11] is assumed. STTD can get the full-order diversity gain. For the transmission of multiple data streams, SDM with minimum mean square error based detection (MMSED) combined with FDE (FD-SDM) [12] is used. FDE requires the knowledge of channel state information (CSI) and CCI plus noise power. Both of FD-STTD and FD-SDM do not require the CSI at the MT transmitter while requiring the CSI at the base station (BS) receiver. Therefore, the complexity problem at the MT transmitter can be alleviated. As for the channel estimation, we apply the MIMO cyclic delay pilot channel estimation (CDP-CE) [13]. The proposed an adaptive multiplexing order selection is suitable for CDP-CE.

The remainder of this paper is organized as follows. Sect. II presents the SC-MIMO uplink transmission model. In Sect. III, the proposed adaptive multiplexing order selection suitable for CDP-CE is described. In Sect. IV, the SC-MIMO throughput performance achievable with the proposed adaptive multiplexing order selection in a multi-cell environment is evaluated by computer simulation. Sect. V offers some concluding remarks.

## II. SC-MIMO UPLINK TRANSMISSION MODEL

### A. Uplink model

In a cellular network, available bandwidth is divided into  $F$  and assigned to each cell. This index  $F$  is called cluster size. The bandwidth allocated to each cell becomes wider as  $F$  gets smaller, but the impact of CCI gets stronger.

The SC-MIMO uplink model considered in this paper is shown in Fig. 1. The central cell ( $c=0$ ) is the cell of interest and there are 6 CCI cells in the first tier that use the same frequency, and CCI cells far from the first tier cells are assumed to be negligible because their CCIs are too small. It is supposed that an MT having  $N_t$  transmit antennas is located randomly in each cell. It is assumed a BS with  $N_r$  receive antennas is located at the center of each cell.

### B. Propagation channel model

The broadband channel is featured by distance-dependent path loss, log normally distributed shadowing loss, and frequency-selective fading. Under the frequency-selective fading channel which consists of  $L$  discrete paths, the channel

impulse response between the  $n_t$ -th transmit antenna and the  $n_r$ -th receive antenna in the  $c$ -th cell is given as

$$h_{n_r, n_t}^{(c)}(\tau) = \sum_{l=0}^{L-1} h_{n_r, n_t}^{(c,l)} \cdot \delta(\tau - \tau_{n_r, n_t}^{(c,l)}), \quad (1)$$

where

$$h_{n_r, n_t}^{(c,l)} = \sqrt{r_c^{-\alpha} \cdot 10^{-\eta_c/10}} \cdot g_{n_r, n_t}^{(c,l)}, \quad (2)$$

with  $r_c$ ,  $\eta_c$ , and  $\alpha$  being the distance between MT in the  $c$ -th cell and BS in the 0-th cell, shadowing loss in dB having zero-mean and standard deviation  $\sigma_s$ , and path loss exponent, respectively.  $g_{n_r, n_t}^{(c,l)}$  and  $\tau_{n_r, n_t}^{(c,l)}$  are the complex-valued pass gain and the delay time of the  $l$ -th path between the  $n_t$ -th transmit antenna of MT in the  $c$ -th cell and the  $n_r$ -th receive antenna of BS in the 0-th cell. We assume  $E\left[\sum_{l=0}^{L-1} |g_{n_r, n_t}^{(c,l)}|^2\right] = 1$ . The average received signal power  $\Phi_r^{(c, n_t)}$  from  $n_t$ -th transmit antenna in the  $c$ -th cell is expressed as

$$\Phi_r^{(c, n_t)} = \Phi_t^{(c, n_t)} \cdot r_c^{-\alpha}, \quad (3)$$

where  $\Phi_t^{(c, n_t)}$  is the transmit power of the  $n_t$ -th transmit antenna in the  $c$ -th cell and  $r_c$  is the distance between MT and BS in the  $c$ -th cell. By introducing the normalized distance  $r_c/R$ , where  $R$  is the cell radius, and the normalized transmit power  $\phi_t^{(c, n_t)} = \Phi_t^{(c, n_t)} \cdot R^{-\alpha}$ , Eq. (3) can be rewritten as

$$\Phi_r^{(c, n_t)} = \phi_t^{(c, n_t)} \cdot (r_c/R)^{-\alpha}. \quad (4)$$

We assumed that the transmit power is the same among all cells.

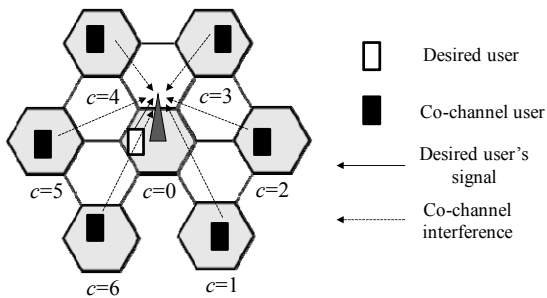


Fig. 1. SC-MIMO uplink model when  $F=3$ .

### C. FD-STTD ( $Z=1$ )

SC-MIMO with  $N_t$  transmit antennas and  $N_r$  receive antennas is considered. Fig. 2 shows the transmission model of FD-STTD. 2 blocks with  $N_c$  data symbols are transformed by  $N_c$ -point fast Fourier transform (FFT) into the frequency-domain data symbol blocks and STBC is applied. The transmit signal blocks after the STBC encoding are transformed by  $N_c$ -point inverse FFT (IFFT) into the time-domain transmit signal blocks. The last  $N_g$  symbols of data symbol blocks with  $N_c$  symbols are copied as a cyclic prefix (CP) and inserted into the guard interval (GI) at the beginning of data symbol blocks to avoid the inter-block interference (IBI). After CP insertion, the transmit signal blocks are transmitted.

The received signal blocks after CP removal are transformed by  $N_c$ -point FFT into the frequency-domain received signal blocks. STBC decoding and FDE are applied to frequency-domain received signal blocks. The received blocks after decoding are transformed by  $N_c$ -point IFFT into the time-domain signal and received data sequence is obtained after demodulation.

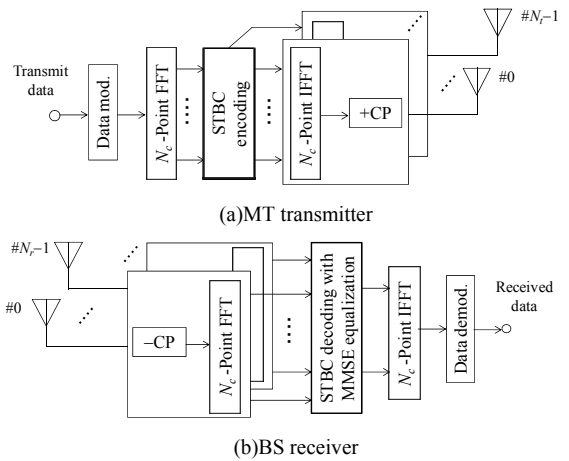


Fig. 2. Transmitter/receiver for FD-STTD.

### D. FD-SDM ( $Z \geq 2$ )

Fig. 3 shows the transmission model of FD-SDM. Information bits are serial-to-parallel (S/P) converted to  $N_t$  information bit groups and data modulated. The symbols are transmitted with equal power by  $N_t$  antennas after CP insertion.

The signals are transmitted over a MIMO channel and received by  $N_r$  receive antennas. The received signal blocks after CP removal are transformed by  $N_c$ -point FFT into the frequency-domain received signal blocks. The MMSE combined with FDE is applied to frequency-domain received signal blocks. The received signal blocks after MMSE are transformed by  $N_c$ -point IFFT into the time-domain signal blocks. Then, the data-demodulated received signal blocks are parallel-to-serial (P/S) converted and received information bits are obtained.

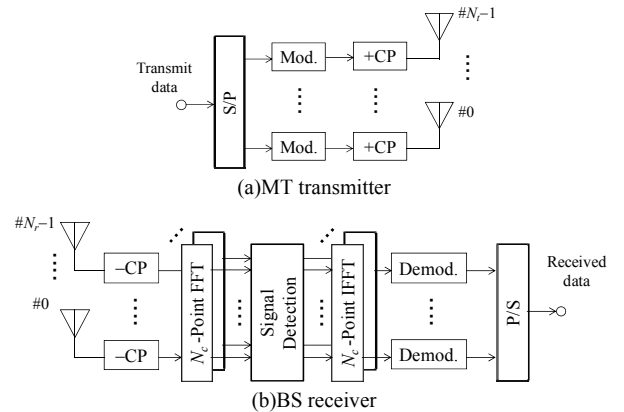


Fig. 3. Transmitter/receiver for FD-SDM.

## III. ADAPTIVE MULTIPLEXING ORDER SELECTION

The adaptive multiplexing order selection suitable for CDP-CE is proposed. First, we present the operation principle of CDP-CE and then, describe the proposed adaptive multiplexing order selection of  $Z=1 \sim 4$  based on the maximum throughput criterion.

### A. CDP-CE

Fig. 4 and Fig. 5 show the transmission model of CDP-CE and the frame structure. The pilot block having different cyclic delay is simultaneously transmitted from each transmit antenna, and hence, channel gain between all transmit and receive antennas can be simultaneously estimated. In this paper,  $N_d$  data blocks are transmitted after  $N_p$  pilot blocks in 1 frame from each transmit antenna.

The pilot block  $\{p(t); t=0 \sim N_c-1\}$  is added the different cyclic delay from each transmit antennas. The pilot block at the  $n_t$ -th transmit antenna is expressed as

$$p_{n_t}(t) = p((t - \Delta n_t) \bmod N_c), t = 0 \sim N_c - 1, \quad (5)$$

where  $\Delta$  is the cyclic delay amount satisfied  $N_g \leq \Delta \leq N_c / N_t$ . After CP insertion, the pilot symbol blocks are transmitted with equal power by  $N_t$  antennas.

The signals are transmitted over a MIMO channel and received by  $N_r$  antennas. The received signal blocks after CP removal are transformed by  $N_c$ -point FFT into the frequency-domain received signal blocks. The  $v$ -th pilot block at the  $n_r$ -th receive antenna in the  $k$ -th frequency is given as

$$R_{n_r}^{(v)}(k) = \sum_{t=0}^{N_c-1} H_{n_r, n_t}(k) \exp\left(-j \frac{2\pi k \Delta n_t}{N_c} t\right) P(k) + \Pi_{n_r}^{(v)}(k) + \Psi_{n_r}^{(v)}(k), \quad (6)$$

where  $P(k)$ ,  $\Pi_{n_r}^{(v)}(k)$ , and  $\Psi_{n_r}^{(v)}(k)$  are the pilot block in the  $k$ -th frequency, additive white Gaussian noise having zero mean and variance  $2\sigma_{noise}^2$ , and CCI component, respectively.  $H_{n_r, n_t}(k)$  is the channel transfer function including the transmit power between the  $n_t$ -th transmit antenna and  $n_r$ -th receive antenna in 0-th cell, and given as

$$H_{n_r, n_t}(k) = \frac{1}{\sqrt{N_t}} \sqrt{\frac{2E_s}{T_s}} \sum_{l=0}^{L-1} h_{n_r, n_t}^{(0,l)} \exp\left(-j 2\pi k \frac{\tau_{n_r, n_t}^{(0,l)}}{N_c}\right), \quad (7)$$

where  $E_s = \phi_t \cdot T_s$  is normalized transmit energy with  $\phi_t = \sum_{n=0}^{N_t-1} \phi_t^{(0, n)}$ .  $T_s$  is the symbol length. The exponential function in Eq. (6) means the phase rotation due to the cyclic delay adding.

The reference signal  $X(k)$  is multiplied to frequency-domain received signal and the composite channel gain is estimated.  $X(k)$  is given as

$$X(k) = P^*(k) / |P(k)|^2, \quad (8)$$

where  $(\cdot)^*$  is the complex conjugate operation. The instantaneous composite channel gain estimate is given as

$$\hat{H}_{n_r}^{(v)}(k) = X(k) R_{n_r}^{(v)}(k). \quad (9)$$

The accuracy of the instantaneous composite channel gain estimate is improved by averaging it for  $N_p$  blocks.

Average instantaneous composite channel gain estimate are transformed by  $N_c$ -point IFFT into the time domain, and the composite channel impulse response estimate  $\{\hat{h}_{n_r}(\tau); \tau=0 \sim N_c-1\}$  is given. Since each transmit antenna is given a different cyclic delay of an integer multiple of  $\Delta$ , the channel impulse response associated with  $N_t$  transmit antennas do not overlap. By applying the delay time-domain windowing [14] and delay time shift, the channel impulse response estimate between the  $n_r$ -th transmit antenna and  $n_r$ -th receive antenna is given as

$$\hat{h}_{n_r, n_t}(\tau) = \begin{cases} \hat{h}_{n_r}(\tau + \Delta n_t) & \text{if } 0 \leq \tau < \Delta \\ 0 & \text{otherwise} \end{cases}, \quad (10)$$

and then, by applying  $N_c$ -point FFT to  $\hat{h}_{n_r, n_t}(\tau)$ , the channel gain estimate  $\hat{H}_{n_r, n_t}(k)$  between  $n_t$ -th transmit antenna and  $n_r$ -th receive antenna is obtained. Since the impulse response lengths of all transmit antennas are within  $\Delta N_t$ , (interference+noise) power is estimated by using  $\hat{h}_{n_r}(\tau)$  in the delay time-domain where there is no impulse response. By approximating the CCI plus noise as a complex Gaussian

variable, (interference+noise) power estimate  $\hat{\sigma}_{CCI+noise}^2$  is given as

$$\hat{\sigma}_{CCI+noise}^2 = \frac{1}{(N_c - \Delta N_t)} \sum_{\tau=\Delta N_t}^{N_c-1} |\hat{h}_{n_r}(\tau)|^2 / \left[ \frac{2}{N_c} \sum_{k=0}^{N_c-1} \frac{1}{|P(k)|^2} \right]. \quad (11)$$

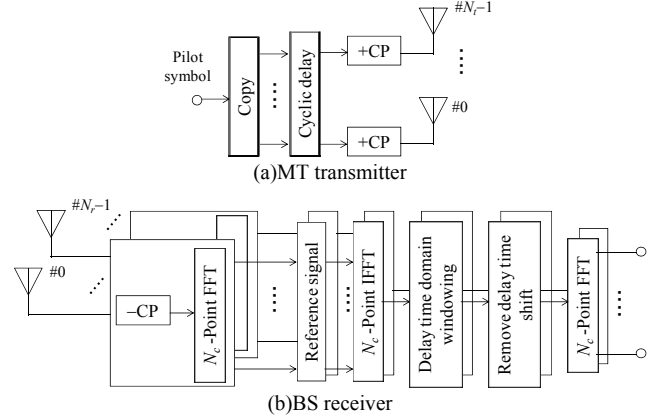


Fig. 4. Transmitter/receiver for CDP-CE.

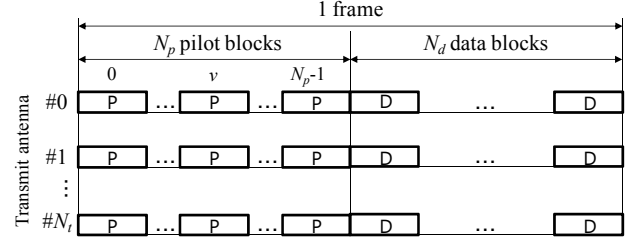


Fig. 5. Frame structure.

## B. Adaptive multiplexing order selection

Channel estimate and (interference+noise) power estimate are used to select the multiplexing order  $Z$ . In this paper, it is assumed that both transmitter and receiver have 4 antennas. When  $Z=1$ , single data stream is transmitted by FD-STTD with  $N_f=2$  because the throughput of FD-STTD with  $N_f=2$  is the best due to the STBC coding rate and the diversity gain [15]. When  $Z \geq 2$ ,  $Z$  data streams are transmitted by FD-SDM with  $N_f=Z$ . In this paper,  $Z$  is selected based on the maximum throughput criterion. First of all, the instantaneous received SINR of each  $Z(=1 \sim 4)$  is calculated from the channel gain estimate and (interference+noise) power estimate. The instantaneous received SINR of FD-STTD is given as (the derivation is abbreviated)

$$\gamma_0^{STTD(Z)} \left( \frac{E_s}{N_0}, \{\hat{H}_{n_r, n_t}(k)\} \right) = \frac{\left| \frac{1}{N_c} \sum_{k=0}^{N_c-1} \tilde{H}_{N_f=2}^{STTD}(k) \right|^2}{\bar{\sigma}_{ISI}^2 + \hat{\sigma}_{CCI+noise}^2 \cdot \frac{1}{N_c} \sum_{n_r=0}^{N_r-1} \sum_{n_t=0}^{N_t-1} |W_{n_r, n_t}(k)|^2}, \quad (12)$$

where

$$2\bar{\sigma}_{ISI}^2 = \left[ \frac{1}{N_c} \sum_{k=0}^{N_c-1} |\tilde{H}_{N_f=2}^{STTD}(k)|^2 - \left| \frac{1}{N_c} \sum_{k=0}^{N_c-1} \tilde{H}_{N_f=2}^{STTD}(k) \right|^2 \right] \quad (13)$$

with  $\tilde{H}_{N_f=2}^{STTD}(k)$  being the equivalent channel gain of FD-STTD given as

$$\tilde{H}_{N_t=2}^{STTD}(k) = \sum_{n_r=0}^{N_r-1} \left\{ \hat{H}_{n_r,0}(k) W_{n_r,0}^*(k) + \hat{H}_{n_r,1}(k) W_{n_r,1}(k) \right\}. \quad (14)$$

$W_{n_r,n_t}(k)$  is the MMSE weight of FD-STTD given as [11]

$$W_{n_r,n_t}(k) = \frac{\hat{H}_{n_r,n_t}(k)}{\sum_{n_r=0}^{N_r-1} \sum_{n_t=0}^{N_t-1} |\hat{H}_{n_r,n_t}(k)|^2 + \hat{\sigma}_{CCI+noise}^2}. \quad (15)$$

The instantaneous received SINR of FD-SDM ( $Z \geq 2$ ) at the  $n_t(=0 \sim Z-1)$ -th stream is given as (the derivation is omitted for brevity)

$$\gamma_{n_t}^{SDM(Z)} \left( \frac{E_s}{N_0}, \{ \hat{H}_{n_r,n_t}(k) \} \right) = \frac{\left| \frac{1}{N_c} \sum_{k=0}^{N_c-1} \tilde{H}_{n_r,n_t}^{SDM}(k) \right|^2}{\sigma_{ISI,n_t}^2 + \sigma_{IAI,n_t}^2 + \hat{\sigma}_{CCI+noise}^2 \cdot \frac{1}{N_c} \sum_{n_r=0}^{N_r-1} \sum_{k=0}^{N_c-1} |\bar{W}_{n_r,n_t}(k)|^2}, \quad (16)$$

where

$$2\sigma_{ISI,n_t}^2 = \left[ \frac{1}{N_c} \sum_{k=0}^{N_c-1} |\tilde{H}_{n_r,n_t}^{SDM}(k)|^2 \right] - \left| \frac{1}{N_c} \sum_{k=0}^{N_c-1} \tilde{H}_{n_r,n_t}^{SDM}(k) \right|^2 \quad (17)$$

$$2\sigma_{IAI,n_t}^2 = \frac{1}{N_c} \sum_{n_t'=0}^{N_t-1} \sum_{k=0}^{N_c-1} |\tilde{H}_{n_r,n_t'}^{SDM}(k)|^2, \quad (18)$$

with  $\tilde{H}_{n_r,n_t}^{SDM}(k)$  being the equivalent channel gain of FD-SDM given as

$$\tilde{H}_{n_r,n_t}^{SDM}(k) = \sum_{n_r'=0}^{N_r-1} \bar{W}_{n_r,n_t}(k) \hat{H}_{n_r,n_t'}(k). \quad (19)$$

$\bar{W}(k)$  is the  $N_r \times N_r$  MMSE weight matrix of FD-SDM having  $\bar{W}_{n_r,n_t}(k)$  at the  $(n_t, n_r)$ -th component and given as

$$\bar{W}(k) = \hat{\mathbf{H}}^H(k) \left( \hat{\mathbf{H}}(k) \hat{\mathbf{H}}^H(k) + \hat{\sigma}_{CCI+noise}^2 \mathbf{E} \right)^{-1}, \quad (20)$$

where  $\mathbf{E}$  is the  $N_r \times N_r$  identity matrix.  $(\cdot)^H$  is the Hermitian transpose operation.  $\hat{\mathbf{H}}(k)$  is the  $N_r \times N_t$  frequency-domain channel gain matrix in the  $k$ -th frequency expressed as

$$\hat{\mathbf{H}}(k) = \begin{bmatrix} \hat{H}_{0,0}(k) & \cdots & \hat{H}_{0,N_t-1}(k) \\ \vdots & \ddots & \vdots \\ \hat{H}_{N_r-1,0}(k) & \cdots & \hat{H}_{N_r-1,N_t-1}(k) \end{bmatrix}. \quad (21)$$

The conditional bit error rate (BER) is calculated from the instantaneous received SINR. The conditional BER of QPSK modulation is given as [12]

$$p_{b,QPSK}^{(Z)} \left( \frac{E_s}{N_0}, \{ \hat{H}_{n_r,n_t}(k) \} \right) = \frac{1}{2Z} \sum_{n_t=0}^{Z-1} \operatorname{erfc} \left[ \sqrt{\frac{1}{4} \gamma_{n_t}^{(Z)} \left( \frac{E_s}{N_0}, \{ \hat{H}_{n_r,n_t}(k) \} \right)} \right], \quad (22)$$

where  $\operatorname{erfc}[x] = (2/\pi) \int_x^\infty \exp(-t^2) dt$  is complementary error function.

The instantaneous packet error rate (PER) is calculated as

$$\operatorname{PER}^{(Z)} = 1 - \left\{ 1 - p_{b,QPSK}^{(Z)} \left( \frac{E_s}{N_0}, \{ \hat{H}_{n_r,n_t}(k) \} \right) \right\}^K, \quad (23)$$

where  $K$  is the packet size. The theoretical instantaneous throughput is calculated by using the instantaneous PER as

$$\eta^{(Z)} \equiv \frac{Z \times \log_2 M \times (1 - \operatorname{PER}^{(Z)})}{F} \times \frac{N_c}{N_c + N_g} \times \frac{N_d}{N_d + N_p}, \quad (24)$$

where  $M$  is the modulation level (when QPSK is used,  $M=4$ ). The multiplexing order having the highest throughput is selected as

$$\bar{Z} = \operatorname{argmax}_Z \eta^{(Z)}. \quad (25)$$

The selected multiplexing order is fed back to the transmitter. FD-STTD is used when  $\bar{Z}=1$  and FD-SDM is used when  $\bar{Z} \geq 2$ . In this paper, the ideal  $\bar{Z}$  feedback is assumed.

#### IV. COMPUTER SIMULATION RESULTS

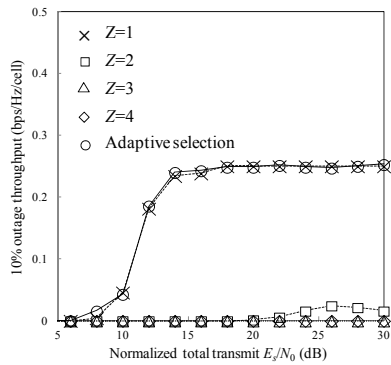
The throughput performance is evaluated by computer simulation. Computer simulation condition is summarized in Table I. A frequency-selective block Rayleigh fading channel having a symbol-spaced  $L=8$ -path uniform power delay profile is assumed. The fading between each transmit and receive antenna has no correlation. QPSK modulation is assumed. Both MT and BS have 4 antennas.  $Z=1, 2, 3$ , and 4 is selected based on the maximum throughput criterion. The cluster size  $F$  is set to 7. 10% and 90% outage throughputs (10% and 90% value of cumulative distribution function of throughput) are evaluated.

First of all, ideal channel estimation is assumed. Fig. 6 plots the throughputs achievable with MIMO adaptive multiplexing order selecting transmission and MIMO fixed multiplexing order transmission as a function of the normalized total transmit  $E_s/N_0$ . It can be seen from Fig. 6 that the MIMO adaptive multiplexing order selecting transmission achieves the best throughput performance. For 10% outage throughput (i.e., throughput near the cell edge), the proposed MIMO adaptive multiplexing order selecting transmission can achieve the highest throughput by selecting  $Z=1$  (i.e., FD-STTD) because the impact of CCI is strong. On the other hand, for 90% outage throughput (i.e., throughput near the cell center), the proposed MIMO adaptive multiplexing order selecting transmission can achieve the highest throughput by selecting the multiplexing order according to the received SINR. From the results, it is shown that MIMO adaptive multiplexing order selecting transmission can achieve higher throughput than the fixed MIMO transmission in various propagation environments.

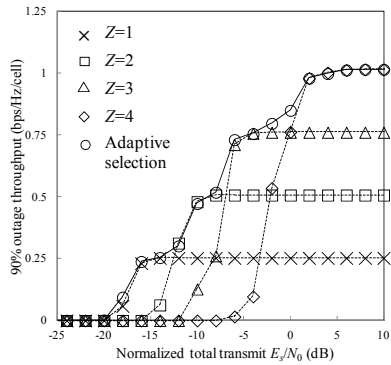
In the next, channel estimation by CDP-CE is assumed. Fig. 7 plots the throughput achievable with MIMO adaptive multiplexing order selecting transmission using CDP-CE. Fig. 7 (a) plots the 10% outage throughput and Fig. 7 (b) plots the 90% outage throughput. From Fig. 7 (a), 10% outage throughput with  $N_p=1$  gets worse than those with other  $N_p$ . When  $N_p=1$ , the channel estimate quality becomes low because the channel and (interference+noise) power averaging are not enough. On the other hand, the channel estimate quality gets better as  $N_p$  increases, and hence, the throughput is improved in low normalized total transmit  $E_s/N_0$  area. But peak throughput degrades in high normalized total transmit  $E_s/N_0$  area because the impact of pilot insertion loss is bigger than that of estimation quality improvement. From Fig. 7 (b), 90% outage throughput is improved with  $N_p \geq 2$  in low normalized total transmit  $E_s/N_0$  area. However, peak throughput degrades in high normalized total transmit  $E_s/N_0$  area and the pilot insertion loss becomes bigger as  $N_p$  increases. The same reason can be applied to the case of 10% outage throughput. From these results,  $N_p=2$  is enough to get a good 10% and 90% outage throughput performance.

Table I. Computer simulation condition.

Transmitter	Data modulation	QPSK
	No. of users per cell	$U=1$
	No. of FFT points	$N_c=64$
	Length of CP	$N_g=8$
	No. of pilot blocks	$N_p=1,2,3,4$
	No. of data blocks	$N_d=12$
	Packet size	$K=1536$ bits
	Pilot sequence	Chu sequence [16]
Channel model	No. of transmit antennas	$N_t=2,3,4$
	Fading	Frequency-selective Block Rayleigh
	No. of paths	$L=8$
	Power delay profile	Uniform
	Time delay	$\tau_{n,l}^{(i)}=lT_s, l=0-L-1$
	Path-loss exponent	$\alpha=3.5$
	Standard deviation of shadowing loss	$\sigma_s=7.0$ dB
Receiver	Cluster size	$F=7$
	No. of receive antennas	$N_r=4$
	Channel estimation	Ideal, CDP-CE

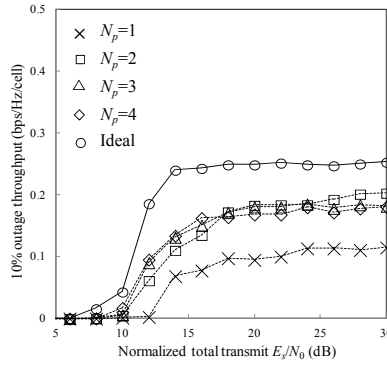


(a) 10% outage throughput

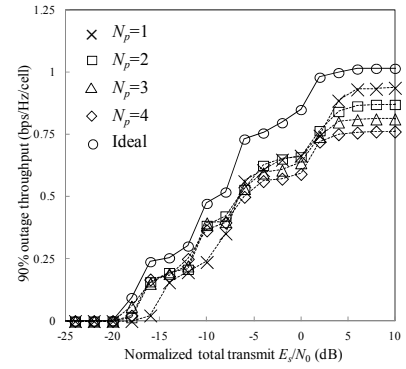


(b) 90% outage throughput

Fig. 6. Throughput performance with ideal channel estimation.



(a) 10% outage throughput



(b) 90% outage throughput  
Fig. 7. Throughput performance with CDP-CE.

## V. CONCLUSION

In this paper, we proposed an adaptive multiplexing order selection for SC-MIMO with FDE using practical MIMO channel estimation called CDP-CE and evaluated the uplink throughput by computer simulation in a multi-cell environment. The computer simulation showed that the insertion of only two pilot blocks per frame is sufficient for CDP-CE and that the proposed adaptive multiplexing order selection achieves always higher throughput than the fixed multiplexing order case.

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